

دما توزیع ی معادله با تشابه : Relaxation Method

$$\frac{\partial V}{\partial t} = D \nabla^2 V$$

دارد مانا حل حتماً . محیط گرمایی رسانندگی : D

$$V(x, y, t) \rightarrow V_{i,j}^n$$

$$\frac{\partial V}{\partial t} \approx \frac{V_{i,j}^{n+1} - V_{i,j}^n}{\epsilon}$$

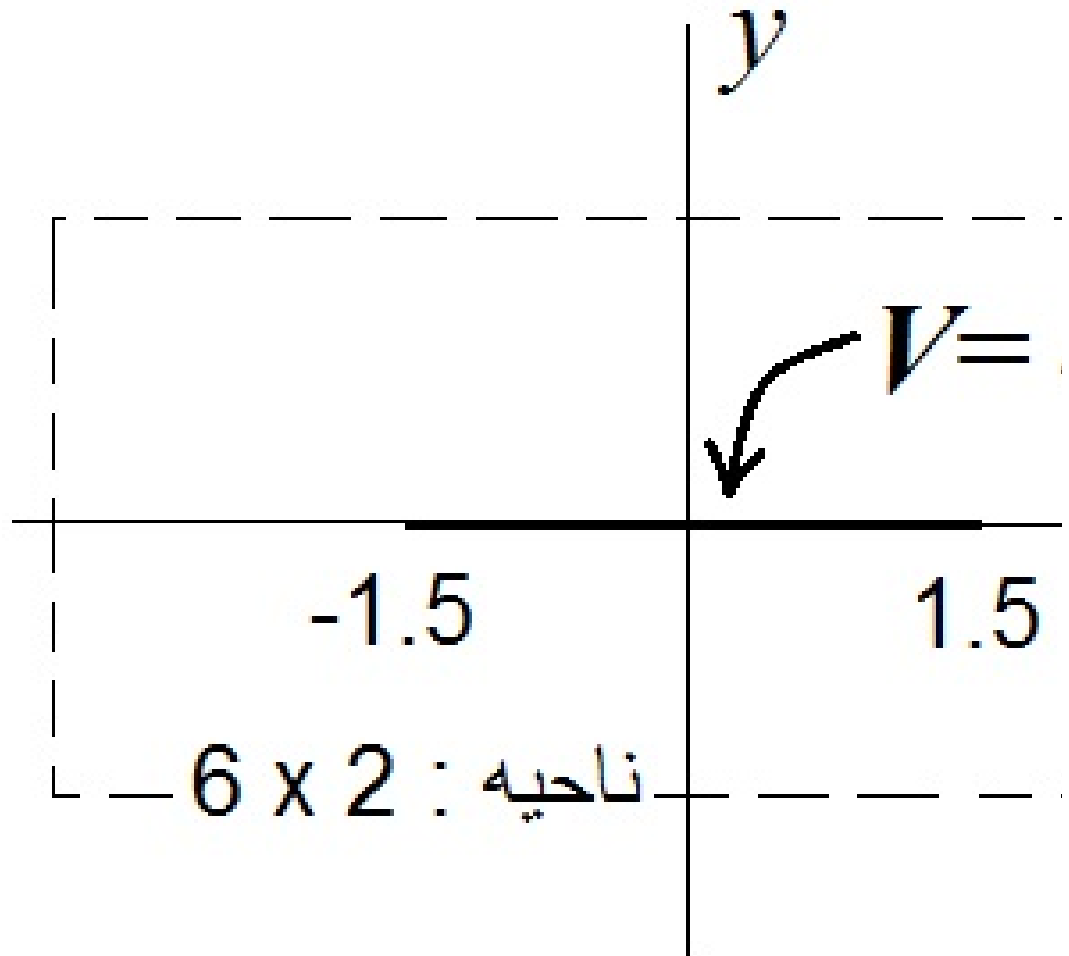
$$\frac{V_{i,j}^{n+1} - V_{i,j}^n}{\epsilon D} = \frac{V_{i+1,j}^n + V_{i-1,j}^n + V_{i,j+1}^n + V_{i,j-1}^n - 4V_{i,j}^n}{h^2}$$

: پارامترها انتخاب با

$$\epsilon D = h^2/4$$

$$V_{i,j}^{n+1} = (V_{i+1,j}^n + V_{i-1,j}^n + V_{i,j+1}^n + V_{i,j-1}^n - 4V_{i,j}^n) + V_{i,j}^n$$

رسانا ي تيغه يك پتانسيل : مثال



```
del = 0.1; imax2 = 30; jmax2 = 10;
```

```
Vb[1][i_, j_] := If[-15 ≤ i ≤ 15 && j == 0, -1, 0]
```

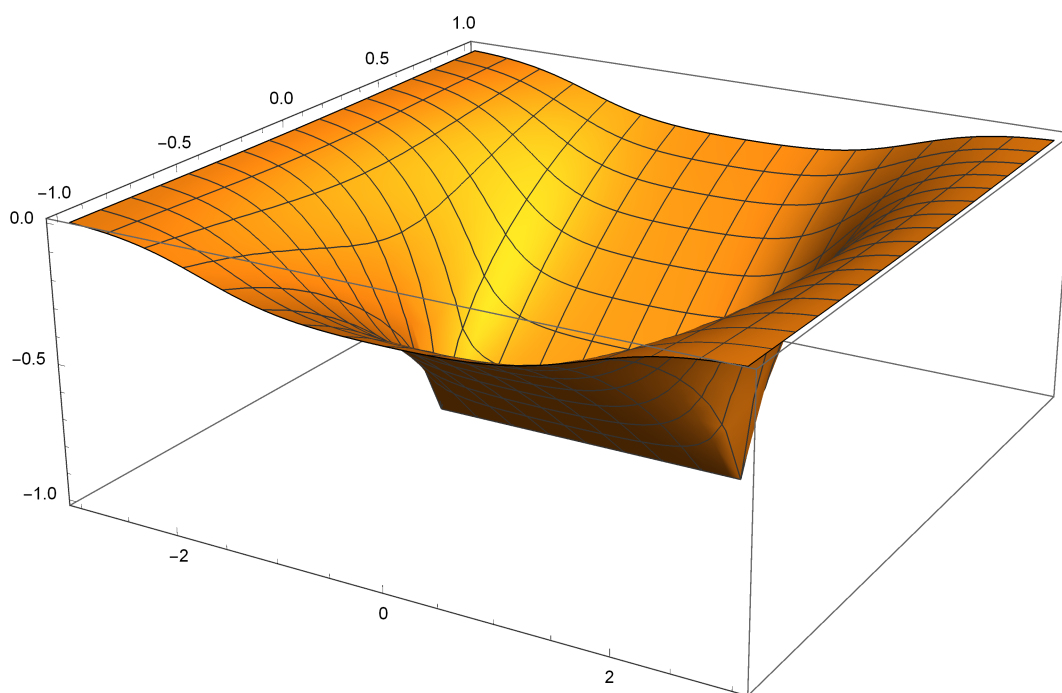


```

m = 50;
N[Max[Table[Abs[Vb[m][i, j] - Vb[m - 1][i, j]],
  {j, -jmax2, jmax2}, {i, -imax2, imax2}]]]
0.00494417

acc = 0.002; m = 1;
While[Max[Table[Abs[Vb[m + 1][i, j] - Vb[m][i, j]],
  {j, -jmax2, jmax2}, {i, -imax2, imax2}]] ≥ acc, m++]
m
ListPlot3D[Table[Vb[m][i, j], {j, -jmax2, jmax2}, {i, -imax2, imax2}],
  DataRange → {{-3, 3}, {-1, 1}}, PlotRange → All]
120

```

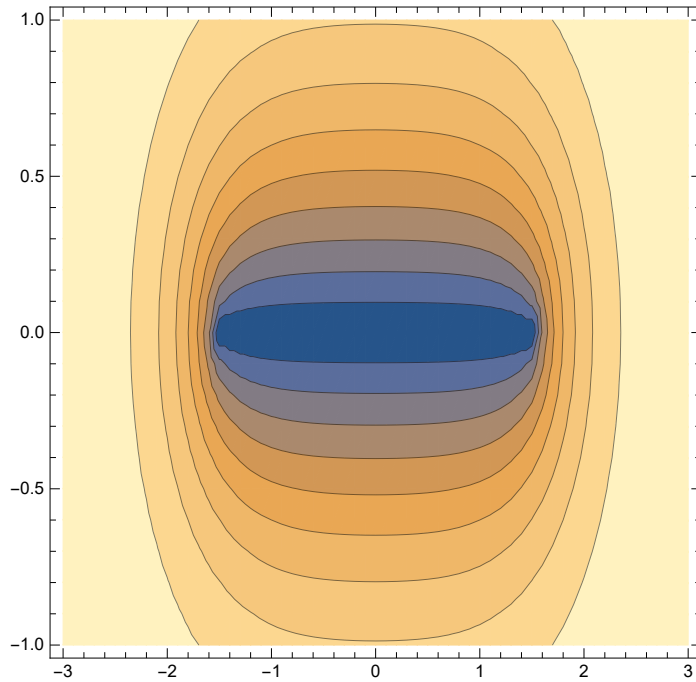


```

Vb[120][13, 8] // N
-0.231951

```

```
ListContourPlot[Table[Vb[m][i, j], {j, -jmax2, jmax2}, {i, -imax2, imax2}],
  DataRange → {{-3, 3}, {-1, 1}}, PlotRange → All]
```



```
ElecVb = -Table[{Vb[m][i + 1, j] - Vb[m][i, j], Vb[m][i, j + 1] - Vb[m][i, j]},
  {i, -imax2 + 1, imax2 - 1}, {j, -jmax2 + 1, jmax2 - 1}];
```

```
ListStreamPlot[ElecVb, DataRange → {{-3, 3}, {-1, 1}}, PlotRange → All]
```

```
ListVectorPlot[ElecVb, DataRange → {{-3, 3}, {-0.5, 0.5}}, PlotRange → All]
```

